

Thesis seminar:
Unsupervised Segmentation of
Continuous Speech Using
Vectorautoregressive Modeling

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Contents

- Description of the problem
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Segmentation

- Segmentation of continuous speech signal into smaller meaningful units (phonemes, syllables)
- Articulatory movements produce changes in acoustic signal
- Proposed method based on detecting these rapid changes in speech spectrum using only the speech signal
- No additional information given for the system
- No training
- Prediction of speech spectrum using vectorautoregression
- Forward and backward prediction used
- Error increases at segment boundaries

Vector Autoregressive Model

- $VAR(p)$ model is defined as
- $\mathbf{y}_t = \mathbf{A}(1)\mathbf{y}_{t-1} + \dots + \mathbf{A}(p)\mathbf{y}_{t-p} + \mathbf{v} + \mathbf{u}_t$
- $\mathbf{A}(i)$ are fixed $(K \times K)$ matrices, \mathbf{v} is $(K \times 1)$ vector allowing non-zero mean, \mathbf{u}_t vector of white noise
- Parameters are estimated from time series using multivariate least squares estimation
- VAR(1) model predicts the vector at time t from the vector at time $t - 1$
- $\hat{\mathbf{y}}_t = \mathbf{A}\mathbf{y}_{t-1} + \mathbf{v}$
- Model \mathbf{A} estimated from multivariate time-series using least squares estimation. Error is the one-step prediction error between subsequent vectors within the data window

Proposed Algorithm

- Digital speech signal $s(n)$ converted to short-time features \mathbf{y}_t each being $(p \times 1)$ vector
- Define \mathbf{A}_t as the VAR(1) model computed from the L data vectors ending at vector at time t :

$$\mathbf{A}_t = VAR_{LSE}(\mathbf{y}_{t-L+1} \dots \mathbf{y}_t)$$

- L should correspond to average length of a steady state of a phoneme in speech

- For each vector \mathbf{y}_t compute recursively M estimates with models $\mathbf{A}_{t-M} \dots \mathbf{A}_{t-1}$

$$\hat{\mathbf{y}}_{t1} = \mathbf{A}_{t-1}\mathbf{y}_{t-1}$$

$$\hat{\mathbf{y}}_{t2} = \mathbf{A}_{t-2}^2\mathbf{y}_{t-2}$$

$$\vdots$$

$$\hat{\mathbf{y}}_{tM} = \mathbf{A}_{t-M}^M\mathbf{y}_{t-M}$$

- From these we get relative errors

$$e_{t1} = \frac{(\mathbf{y}_t - \hat{\mathbf{y}}_{t1})^T (\mathbf{y}_t - \hat{\mathbf{y}}_{t1})}{\mathbf{v}_t^T \cdot \mathbf{v}_t}$$

$$e_{t2} = \frac{(\mathbf{y}_t - \hat{\mathbf{y}}_{t2})^T (\mathbf{y}_t - \hat{\mathbf{y}}_{t2})}{\mathbf{v}_t^T \cdot \mathbf{v}_t}$$

$$\vdots$$

$$e_{tM} = \frac{(\mathbf{y}_t - \hat{\mathbf{y}}_{tM})^T (\mathbf{y}_t - \hat{\mathbf{y}}_{tM})}{\mathbf{v}_t^T \cdot \mathbf{v}_t}$$

- The median value of these errors will represent the final error at time t

$$e_t = \text{median}(e_{t1} \dots e_{tM})$$

- The small values are emphasized by taking the logarithm

$$E_t = 10 \log_{10}(1 + e_t)$$

- So far the model has been used to predict the values of the multivariate time-series for the future values of \mathbf{y} . The model can also be used to estimate values for the vectors before the model data-window
- Time reverse the original signal and perform the same VAR analysis

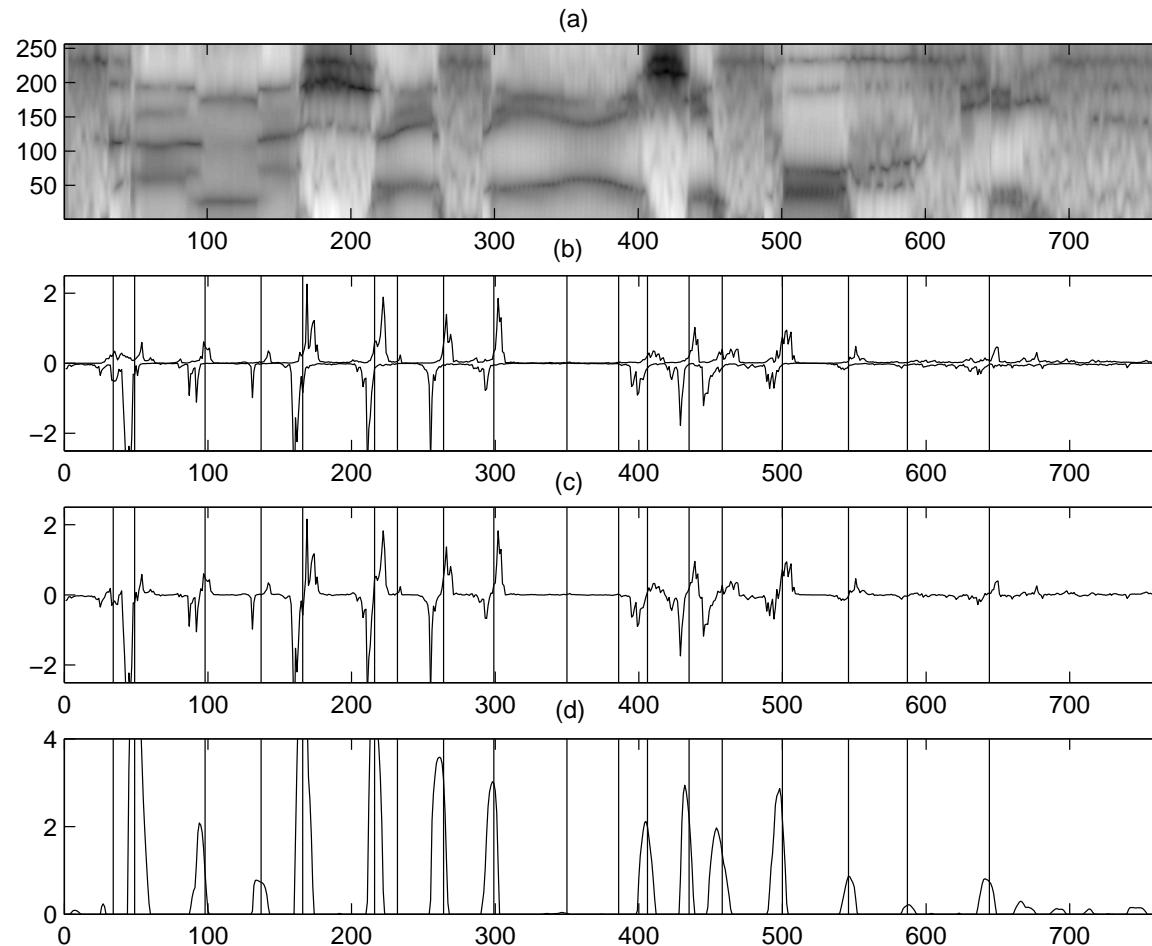
- Let us denote the error signals obtained this way with E_{t+} and E_{t-}
- Errors are combined

$$E_{t*} = E_{t+} - E_{t-}$$

- Resultant error E_{t*} should have a large negative peak before rapid change in the signal and large positive peak after the change
- To help the detection of these points the signal is filtered with $h(t)$

$$h(t) = \begin{cases} \frac{t}{d} + 1 & -d < t < 0 \\ 0 & t = 0 \\ \frac{t}{d} - 1 & 0 < t < d \end{cases}$$

- The value of d set to match the width of the peaks in E_{t*}



Experimental Results: Data

- Method was tested on Finnish
- 3 speakers used (one female, two males)
- 201 sentences read (some really artificial sentences)
- 20.05 kHz sampling frequency
- 14th order frequency warped line spectrum pairs computed every 3ms used as the time-series \mathbf{y}

Experimental Results: Evaluation Criterion

- Evaluation of performance is not straightforward
- Automatic segmentation compared with manual segmentation
- Types of error: *insertion*, *deletion*
- Precision/correctness C describes the portion of segment boundaries placed correctly

$$C = \frac{HITS}{HITS+INSERTIONS}$$

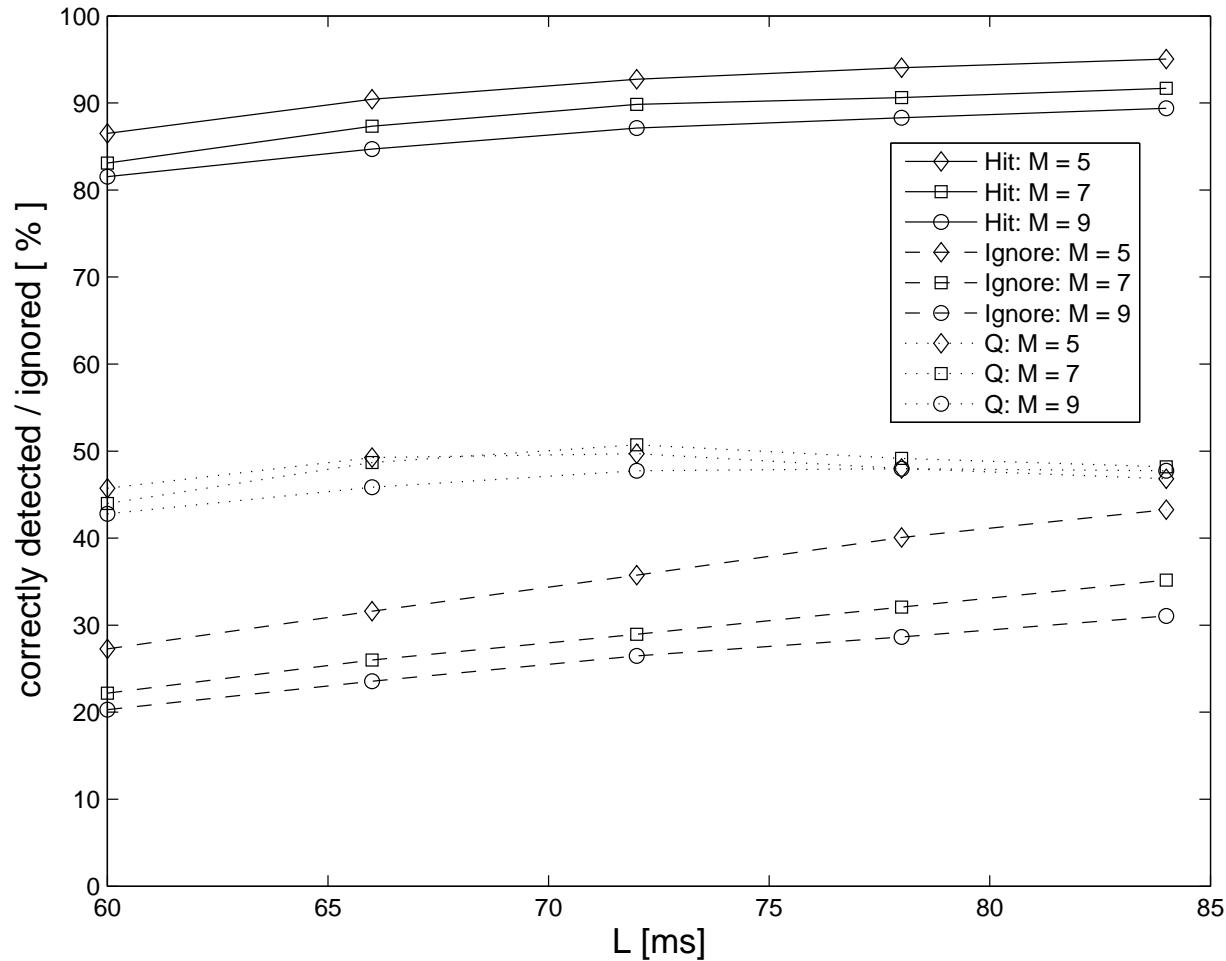
- Quality

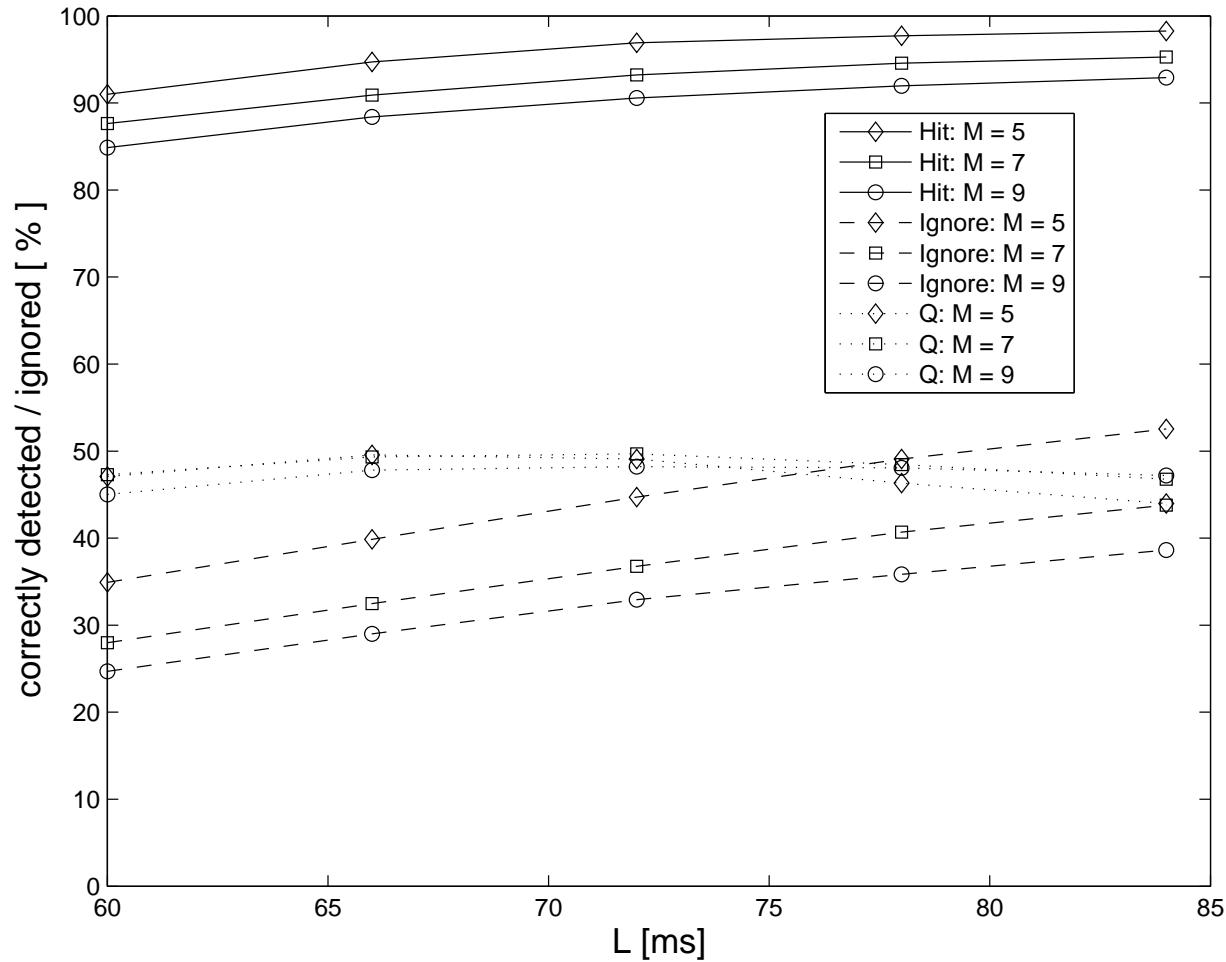
$$Q = \frac{HITS-DELETIONS-INSERTIONS}{ALL}$$

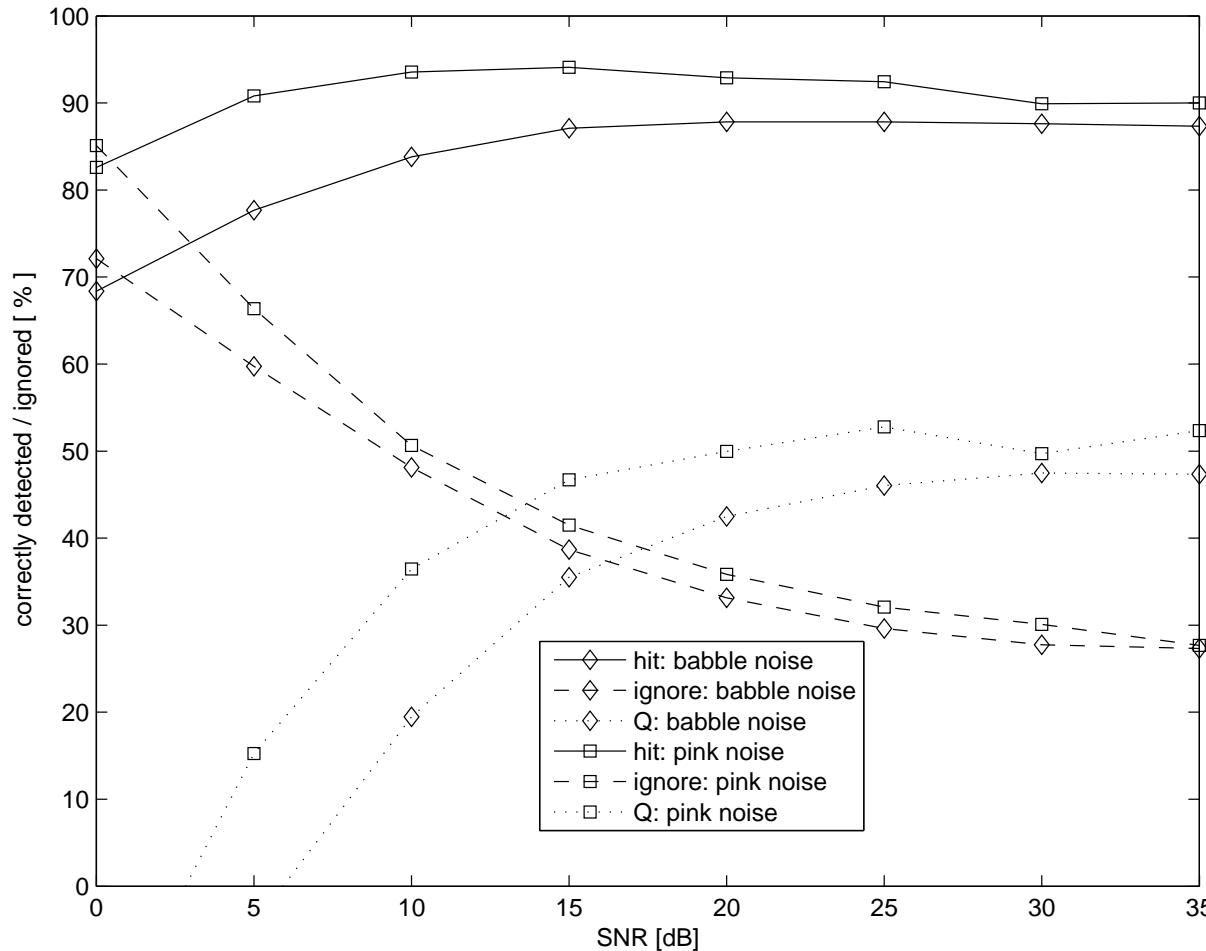
Experimental Results: Overall Results

Table 1: Segmentation results for three different speakers (C: Correctness, D: Deletions, Q: Quality), $M = 7$, $L = 66ms$, threshold = 0.2

	C	D	Q
Male 1	87.3%	26.0%	48.7
Male 2	88.2%	32.6%	43.7
Female	91.5%	35.2%	47.8







Other Analysis

- In this master's thesis following things were also investigated:
 - Errors in terms of phoneme classes
 - Emount of E_* at segment boundaries
 - Temporal deviations from manually asigned segment boundaries
 - (Computational load)

Conclusion

- Method to detect unpredictable auditory time-frequency changes in acoustic signals was presented
- Based on VAR-modeling of multivariate time-series
- Fully unsupervised. Does not use any *a priori* knowledge of the signals chosen for segmentation
- Method was tested on Finnish
- The results show that the method works for both male and female speakers
- The segmentation is reliable between classes that produce abrupt change at segment boundary
- Vowel-vowel pair is the most difficult to detect

- Future work:

- Testing other representations for the signal (energy, zero-crossing rate ...)
- Different strategies for selection of segment boundaries from E_*
- Different speech material